

## Temperature-jump Study of the Reversible Disproportionation of an Azaviolene Radical Ion

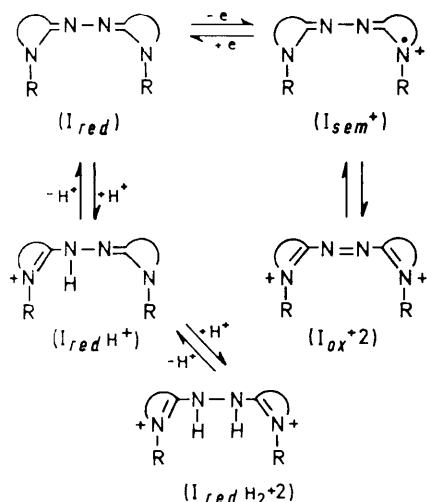
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**Summary** Both the free base and its conjugate acid, of the reduced form of certain azaviolenes, react with the oxidized form to generate a stable radical ion, but the rate approaches the diffusion-controlled limit only with the free base.

POLAROGRAPHIC studies of a number of azaviolenes with the general structure (I) have shown that these compounds can be present in three forms, differing by their oxidation state, which can be converted reversibly into each other according to Scheme 1.<sup>1,2</sup> Since the reduced form is frequently



SCHEME 1

appreciably basic, complications may arise through simple or even double protonation of ( $I_{red}$ ). One can define a semiquinone formation constant  $K_1$  by writing the redox

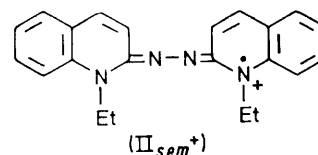
equilibrium as in equation (1).  $K_1$  Values and pK-values

$$I_{red} + I_{ox^{+2}} \xrightleftharpoons[k_{-1}]{k_1} 2 I_{sem^+} \quad (1)$$

$$K_1 = \frac{k_1}{k_{-1}} = \frac{[sem^+]^2}{[ox^{+2}][red]} \quad (2)$$

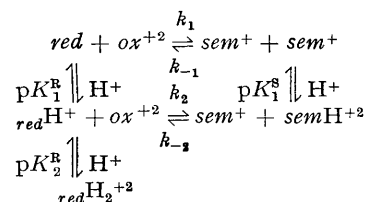
for ( $I_{red}$ ) have been determined by polarography for several systems.<sup>1</sup>

Considerably more information about structure-reactivity relationships can be obtained from rate studies in these systems. We now report the results of a temperature-jump<sup>3</sup> study in methoxyethanol-water (1:1) at 25° on the system derived from 1-ethylquinolin-2-one azine (II).†



SCHEME 2

Scheme 2, in which a simplified symbolism is used is characterized by four relaxation times, three of which



too fast to be measured with our method, are essentially associated with the vertical proton transfer equilibria.

† Two similar temperature-jump studies on somewhat related organic redox systems have been reported. H. Diebler, M. Eigen, and P. Matthies, *Z. Naturforsch.*, 1961, **16b**, 629; H. Diebler, *Ber. Bunsengesellschaft Phys. Chem.*, 1963, **67**, 396.

The fourth relaxation time (5—200 ms range) is associated with the two horizontal redox equilibria and is easily measured. From its dependence on substrate concentration and pH, combined with the literature data<sup>1</sup> on  $K_1$  and  $pK_1^R$ , the following rate and equilibrium constants were determined by computer analysis:  $k_1 = 1.22 \times 10^9 \text{ M}^{-1} \text{ s}^{-1}$ ,  $k_{-1} = 5.7 \times 10^3 \text{ M}^{-1} \text{ sec}^{-1}$ ,  $K_1 = 2.14 \times 10^{51}$ ,  $k_2 = 5.7 \times 10^5 \text{ M}^{-1} \text{ s}^{-1}$ ,  $k_{-2} = 4.3 \times 10^5 \text{ M}^{-1} \text{ s}^{-1}$ ,  $K_2 = k_2/k_{-2} = 1.3$ ,  $pK_1^R = 6.51$ ,  $pK_2^R = 1.0$ ,  $pK_1^S = 1.3$ . Note that the rate of reaction between *red* and  $ox^{+2}$  is close to the diffusion controlled limit,<sup>4</sup> but protonation of *red* reduces this rate about 2000 fold.

The finding that the redox reaction can also proceed through  $redH^+$  and  $oxH^+$ , a pathway which becomes very significant below pH 3, is of considerable interest since this was not apparent from the equilibrium studies.<sup>1</sup> It demonstrates once more the power of this kinetic method.

Similar studies on a variety of violene and azaviolene systems are in progress.

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<sup>1</sup> S. Hunig, H. Balli, H. Conrad, and A. Schott, *Annalen* 1964, **676**, 52.

<sup>2</sup> S. Hunig *Pure Appl Chem*, 1967, **15**, 109.

<sup>3</sup> M. Eigen and L. De Maeyer in 'Technique of Organic Chemistry', vol. 8, Part 2, Interscience, New York, 1963, p. 895.

<sup>4</sup> M. Eigen, *Angew Chem, Internat Ed*, 1964, **3**, 1.